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# Beam-based vacuum observations and their consequences

Sergei Nagaitsev  
August 18, 2003

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# Design goals

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## Stochastic cooling only

- Emittance growth rate ( $n$ , 95%):  $2 \mu\text{m/hr}$
- Lifetime of  $10\text{-}\mu\text{m}$  emittance pbar beam with cooling:  $\geq 200$  hrs

## Stochastic+electron cooling

- Emittance growth rate ( $n$ , 95%):  $4 \mu\text{m/hr}$
  - Lifetime of  $10\text{-}\mu\text{m}$  emittance pbar beam with cooling:  $\geq 200$  hrs
- 
- The lifetime cannot be greater than:

$$\tau \leq 6\Lambda \frac{A_x A_y}{\dot{\epsilon}_{n,95\%} (A_x + A_y)} \approx 30 \times \frac{A}{\dot{\epsilon}_{n,95\%}}$$

# Design goals

Stochastic

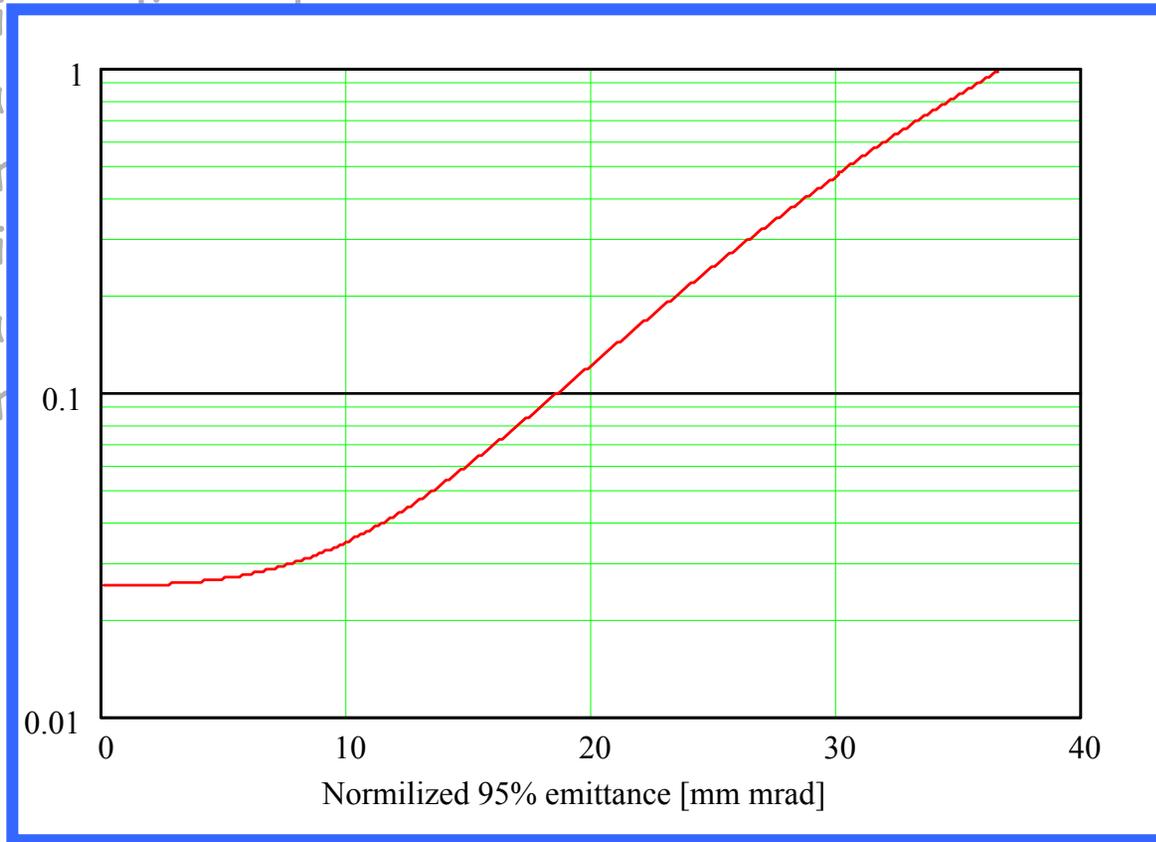
- Emittance

- Lifetime

Stochastic

- Emittance

- Lifetime



- Relative Coulomb scattering loss rate for the Recycler beam, assuming a 40- $\mu\text{m}$  acceptance in both planes.
- The design emittance is 10  $\mu\text{m}$  (n, 95%)

## Today's menu

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- I will present the beam-based measurements and demonstrate that the results of these measurements are consistent with Coulomb scattering off residual gas.

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- I will critique my own model and consider uncertainties.

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- I will present the beam-based measurements and demonstrate that the results of these measurements are consistent with Coulomb scattering off residual gas.
- Assuming that all scattering is elastic, I will derive the partial pressures. These are an order of magnitude higher than what we obtain from our vacuum model.
- I will critique my own model and consider uncertainties.
- Finally, I will demonstrate that the goal of  $4 \mu\text{m/hr}$  could be achieved with a successful bakeout.  
The goal of  $2 \mu\text{m/hr}$  is likely to be unattainable with the present vacuum system.

## Observations (coasting beam) Aug 2, 2003

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- One hour of observations with  $9E10$  protons (no MI ramps)
- Initial emittance:             $10 \mu\text{m}$  (95%, Schottky)
- $7 \mu\text{m}$  (100%, scraper)
- Final emittance:             $20 \mu\text{m}$  (95%, Schottky)
- $17 \mu\text{m}$  (95%, scraper)
- Growth rate:  $10 \pm 1 \mu\text{m/hr}$
- Zero-current, pencil beam lifetime: 90 hours
- Acceptances:  $A_x = 60 \mu\text{m}$ ,  $A_x = 40 \mu\text{m}$
- The emittance growth rate and the lifetime are selfconsistent!

# Emittance growth rate

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- Our measurements demonstrate that:
  - The transverse emittance growth is linear with time
  - The rate is insensitive to beam intensity and bunching structure
  - The rate does not depend on beam emittance
  - The rate does not depend on tunes (within limits)

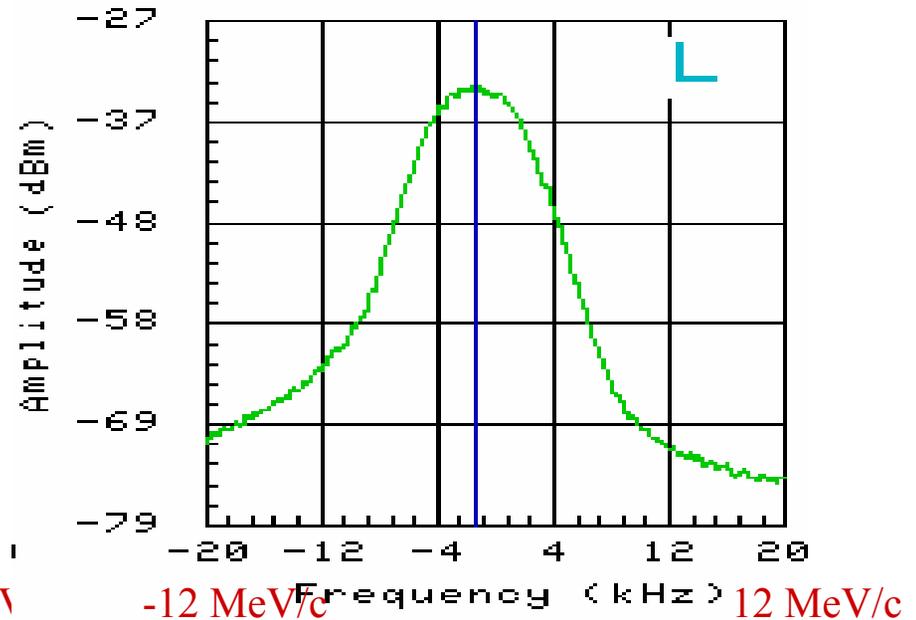
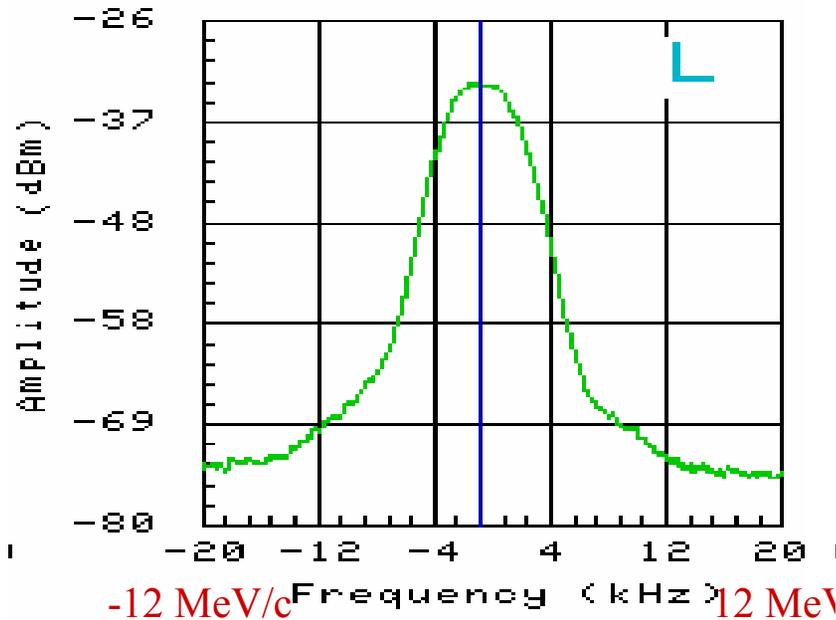
# Emittance growth rate

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  - The rate is insensitive to beam intensity and bunching structure
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  - The rate does not depend on tunes (within limits)
- **This all points to Coulomb scattering**
- I will be using the following growth rate expression for my analysis:

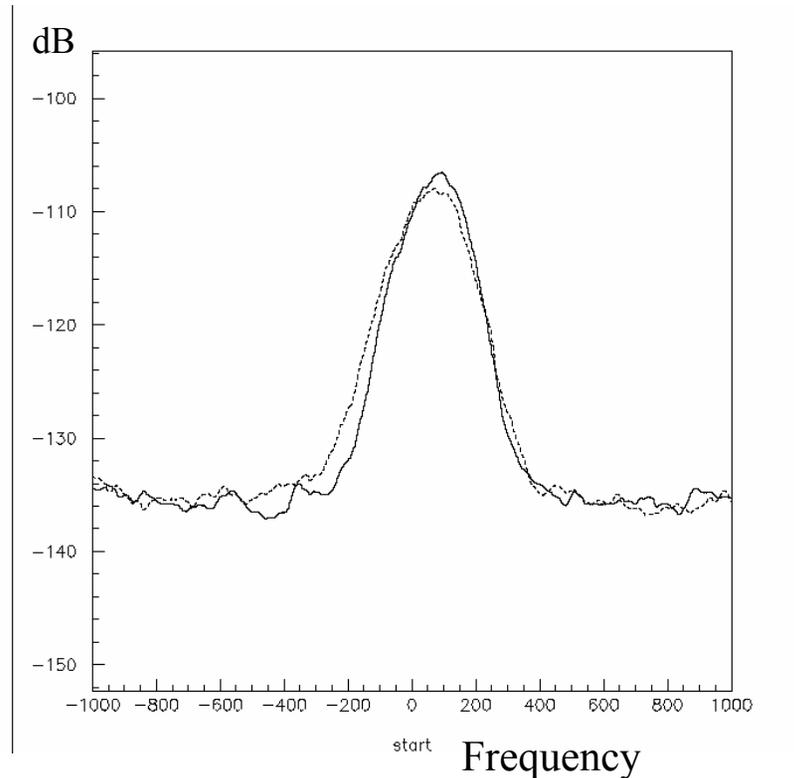
$$\dot{\varepsilon}_{n,95\%} = 12\pi \frac{cr_p^2}{\beta\gamma} \beta_{ave} \sum_i n_i Z_i^2 \left( \Lambda_n(Z_i) + \frac{\Lambda_e(Z_i)}{Z_i} \right)$$

# Observations (coasting beam) Aug 2, 2003



- 1 hour,  $9E10$  p's, long. Schottky at 1.75 GHz (no MI ramps)
- The average revolution frequency has decreased by 32 mHz
  - This corresponds to a 0.37-MeV energy shift
- The rms momentum spread has increased (1.0 to 1.3 MeV/c)
- The low energy tail has developed

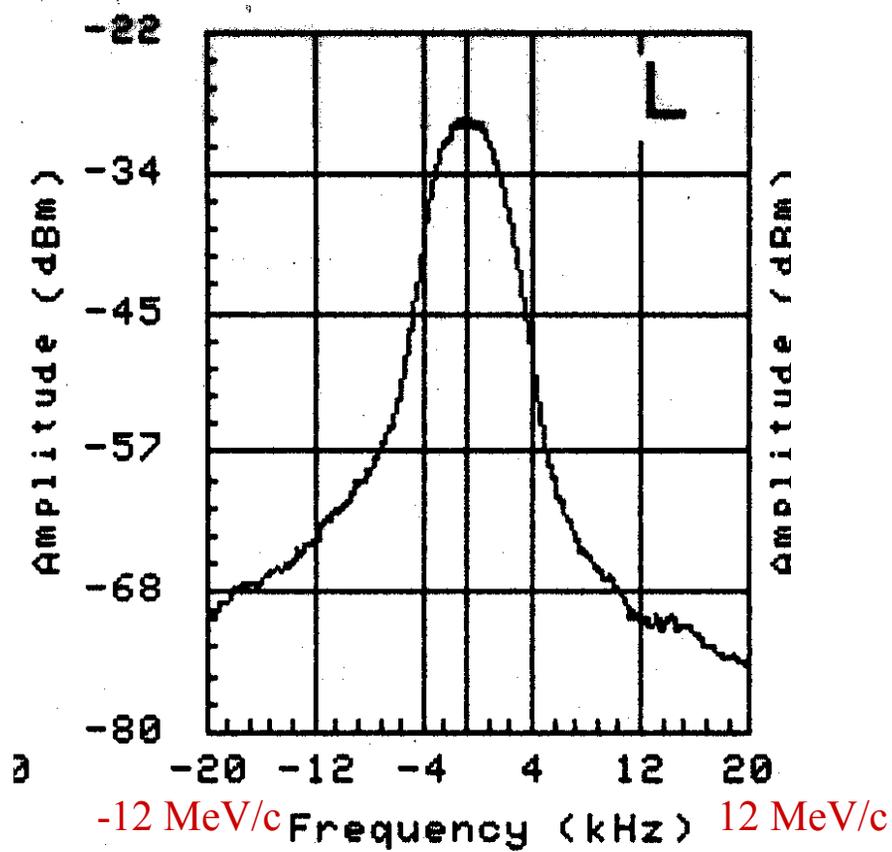
# Observations (coasting beam) Aug 13, 2003



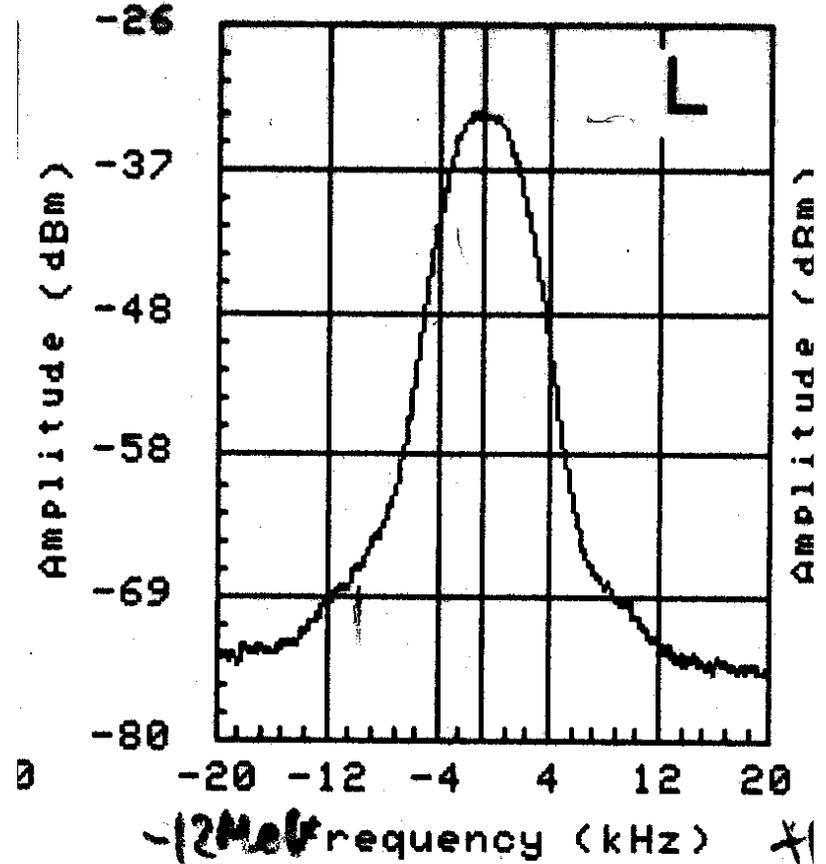
- 30 min,  $1E10$  p's, long. Schottky at 79 GHz (no MI ramps)
- Energy loss: 0.42 MeV/hr
- The rms momentum spread has increased.
- The low energy tail has developed.

# The low-energy tail

- We've proved that the low-energy tail comes from ionization losses.



1.9E11 protons before scrape



0.9E11 protons after scrape

## The low-energy tail

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- The scrape was done with a horizontal scraper at a location with a horizontal beta-function of 52 m, zero dispersion ( $\sim 20$  cm) and with equal tunes.
- The scraper was stopped 6.2 mm away from the beam center, which corresponds to a 7- $\mu\text{m}$  acceptance, and then withdrawn.
- How can one scrape the low energy tail at zero-dispersion location?

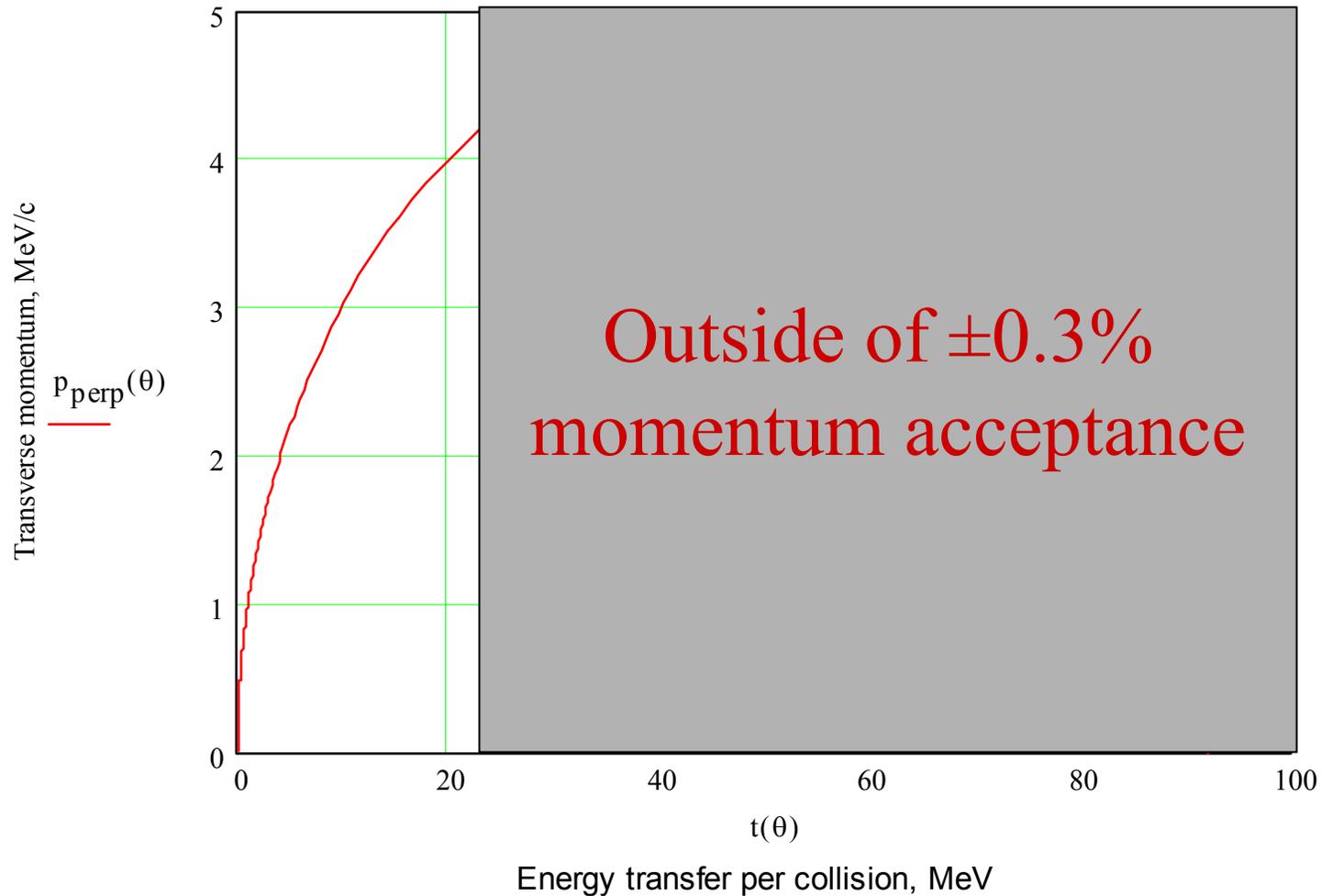
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- How can one scrape the low energy tail at zero-dispersion location?
- The answer is: proton-electron collisions.

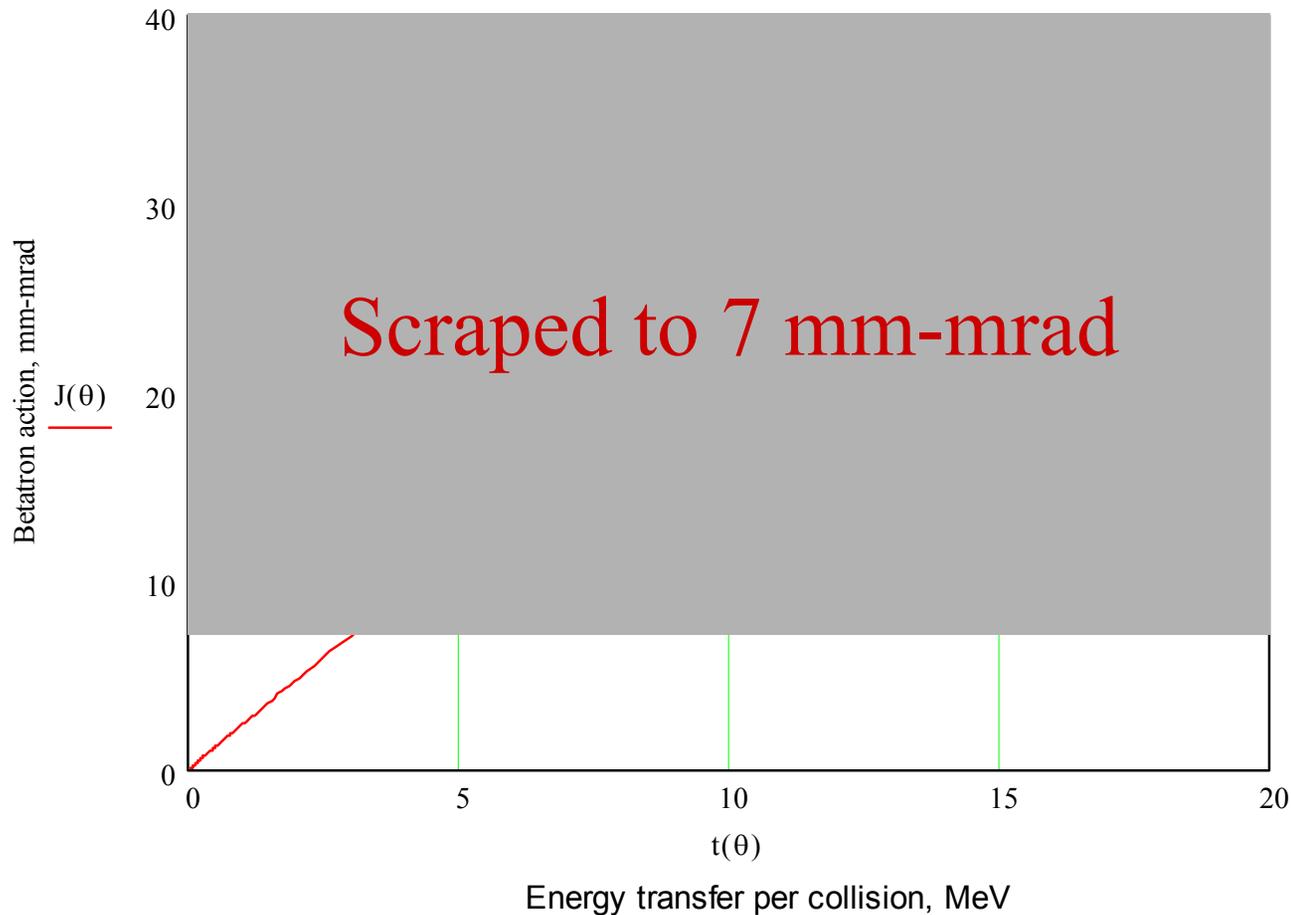
# Proton collision with a stationary electron

- Max. energy transfer  $T_{\max} = 91 \text{ MeV}$

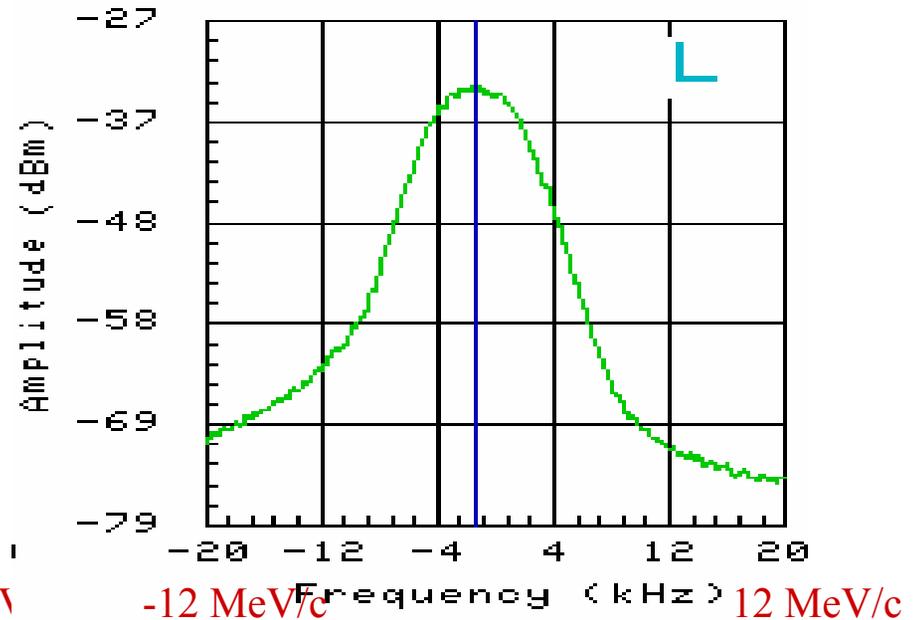
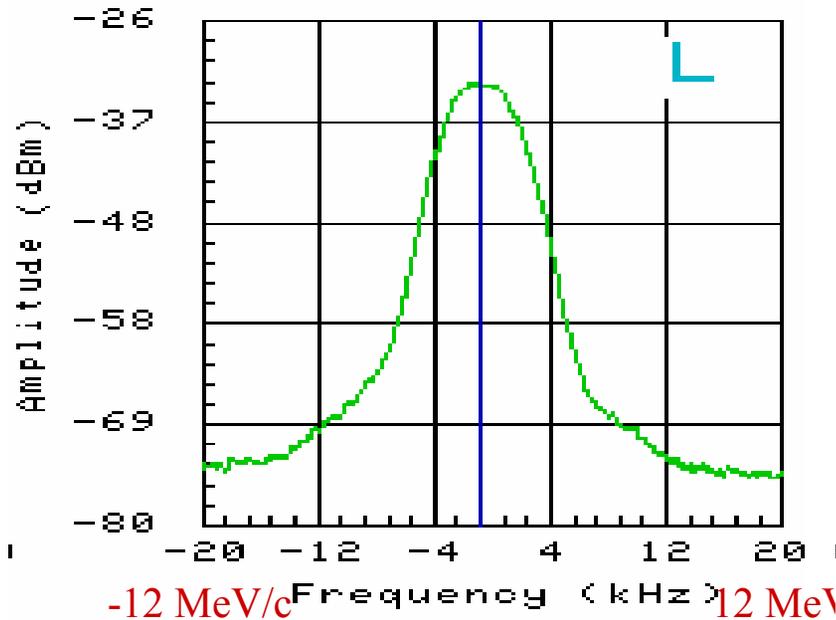


# Proton collision with a stationary electron

$$J_n = \frac{1}{2} \frac{p_{\perp}^2}{\beta\gamma M_p^2 c^2} \beta_{ave}$$



# Observations (coasting beam) Aug 2, 2003



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- The average revolution frequency has decreased by 32 mHz
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- **The rms momentum spread has increased (1.0 to 1.3 MeV/c)**
- The low energy tail has developed

## The rms momentum spread increase

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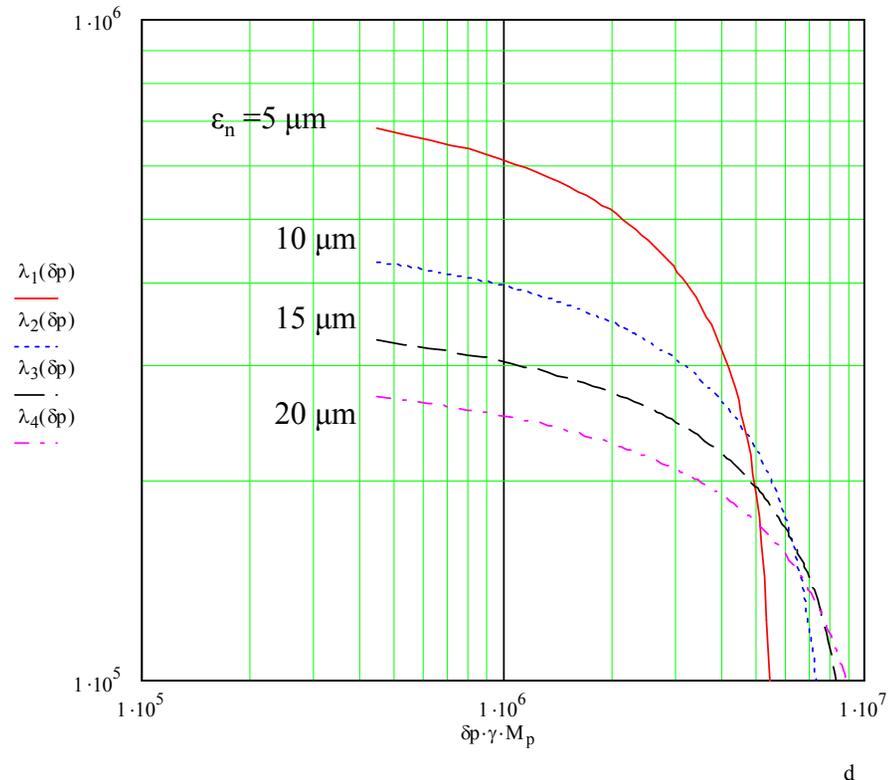
- IBS

$$\frac{d}{dt}(\delta_{\parallel}^2) \equiv \frac{d}{dt} \left( \frac{\overline{p_{\parallel}^2}}{p^2} \right) = \frac{\sqrt{\pi}}{2} \frac{r_p^2 c N L_C}{\gamma^3 \beta^3 C \sigma^2 \theta} \sqrt{1 - \frac{\delta_{\parallel}}{\sqrt{2\theta}}}$$

- $L_C$  - is the Coulomb logarithm,
- $C$  - is the ring circumference,
- $\sigma$  - is the rms beam size and
- $\theta$  - is the rms angular spread.

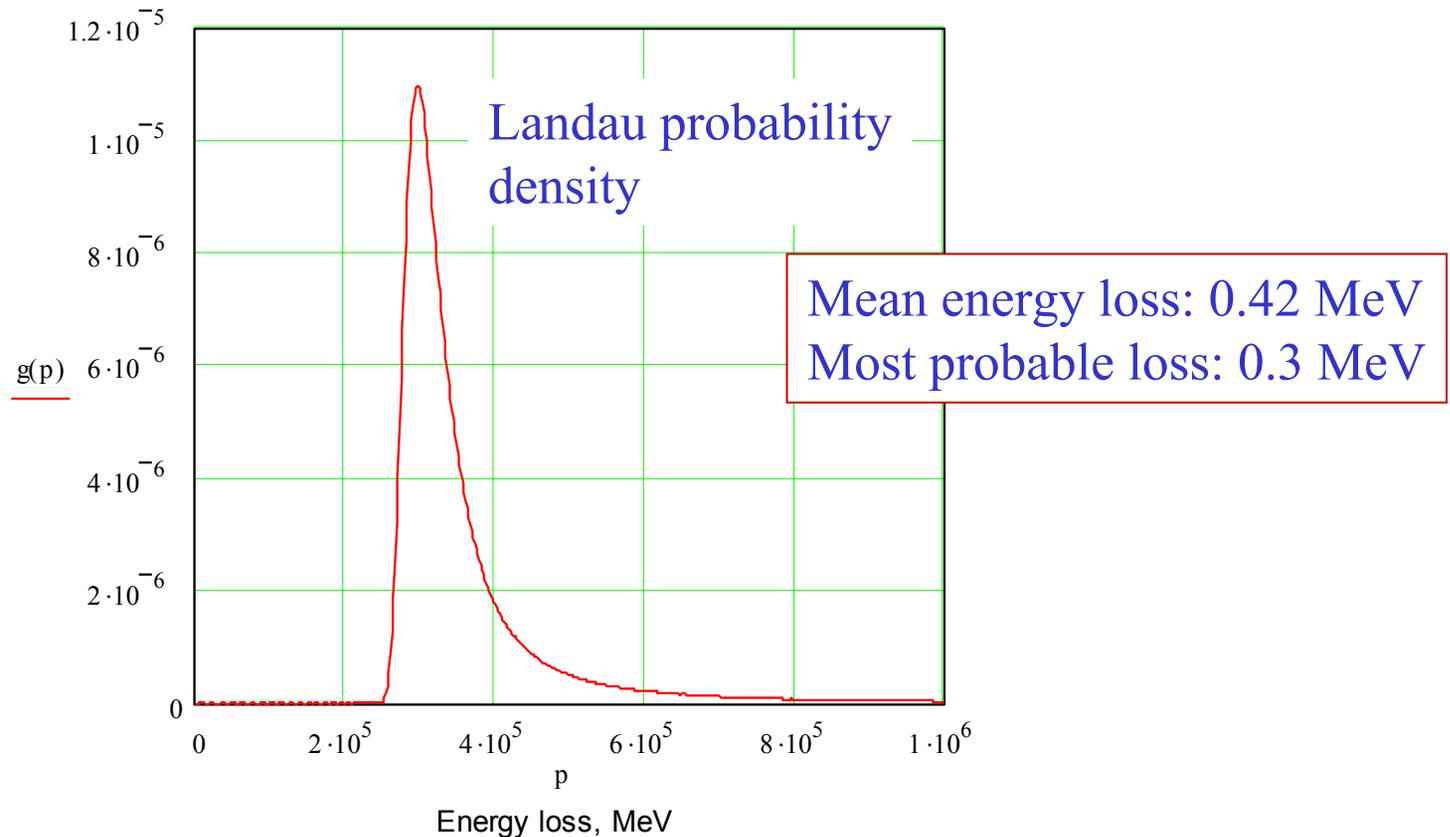
# IBS (coasting beam)

- The rms momentum growth rate (MeV/c per hour) as a function of the rms momentum spread (MeV/c) for various transverse (n,95%) emittances.
- $N = 9 \times 10^{10}$  protons
- Measured:
  - Initial 1.0 MeV/c
  - Final 1.3 MeV/c
- Need to add rms spreads in quadrature!
- The ibs can explain a portion (0.1-0.2 MeV/c) of the measured momentum spread.



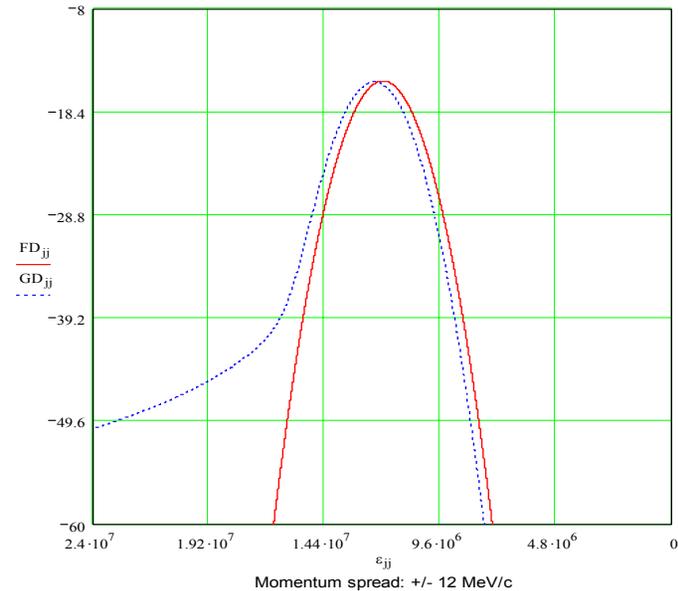
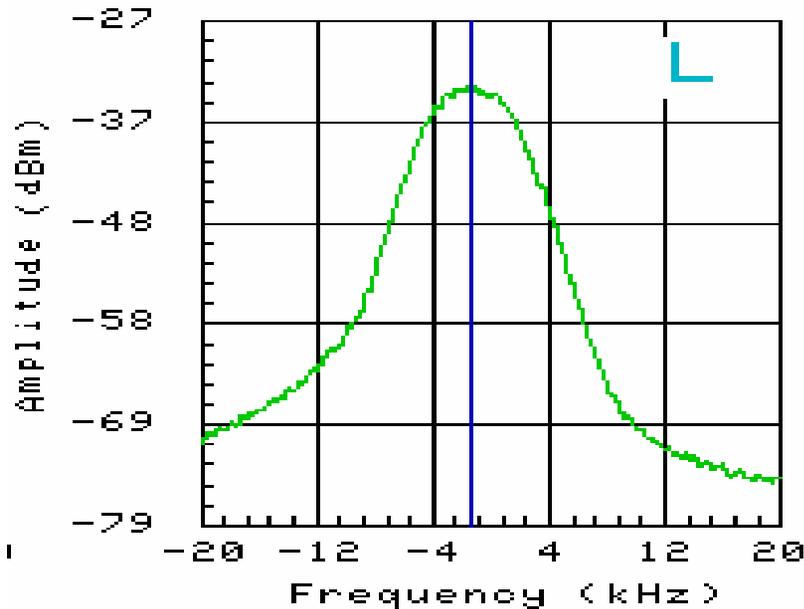
# The rms momentum spread increase

- IBS
- Energy-loss straggling



# Momentum distribution

- A Gaussian( $\sigma=1$  MeV/c) distr. is folded with the Landau probability density.



- The result is that by fitting the energy loss alone, I am able to reproduce both the low-energy tail and the rms spread increase
- Energy loss due to resistive impedance is negligible

## Summary of beam-based measurements

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Emittance growth rate:

$$\dot{\varepsilon}_{n,95\%} = 12\pi \frac{cr_p^2}{\beta\gamma} \beta_{ave} \sum_i n_i Z_i^2 \left( \Lambda_n(Z_i) + \frac{\Lambda_e(Z_i)}{Z_i} \right) = 10 \pm 1 \text{ } \mu\text{m/hr}$$

Beam average energy loss:  $0.40 \pm 0.04$  MeV/hr

This corresponds to a mean energy loss of  $0.42 \pm 0.04$  MeV/hr

$$\Delta[\text{MeV}] = \frac{0.307}{\beta^2} \sum_i \frac{Z_i}{A_i} x_i [\text{g/cm}^2] \left( \ln \left( \frac{T_{\max}}{I_i} \right) - \beta^2 \right) = 0.42 \pm 0.04 \text{ MeV}$$

## Partial pressures model

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- Assume that the residual gas consists only of Z=1 and Z=8 atoms ( $H_2$  and  $H_2O$ )
- Solving equations for  $10 \pm 1 \mu\text{m/hr}$  and  $0.42 \pm 0.04 \text{ MeV}$  results in:
  - $p_H = 3.3 \pm 1.7 \times 10^{-9} \text{ Torr}$
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- If I assume that one of the gases is hydrogen with a known concentration  $n_H$ , and then try looking for another gas with a new  $Z$  ( $A = 2Z$ ),  $n_Z \leq n_H$ , I am unable to find any solution unless  $p_H > 1.5 \times 10^{-9} \text{ Torr}$  and  $Z \sim 5$ .

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- “Water” alone contributes  $8.3 \mu\text{m/hr}$  to the emittance growth
- Before Jan 2003 shutdown the measured emittance growth rate was  $5 \mu\text{m/hr}$ . There were no beam energy loss measurements.
- Present measurements are consistent with the water content doubled after the shutdown.

## What could have increased the water content?

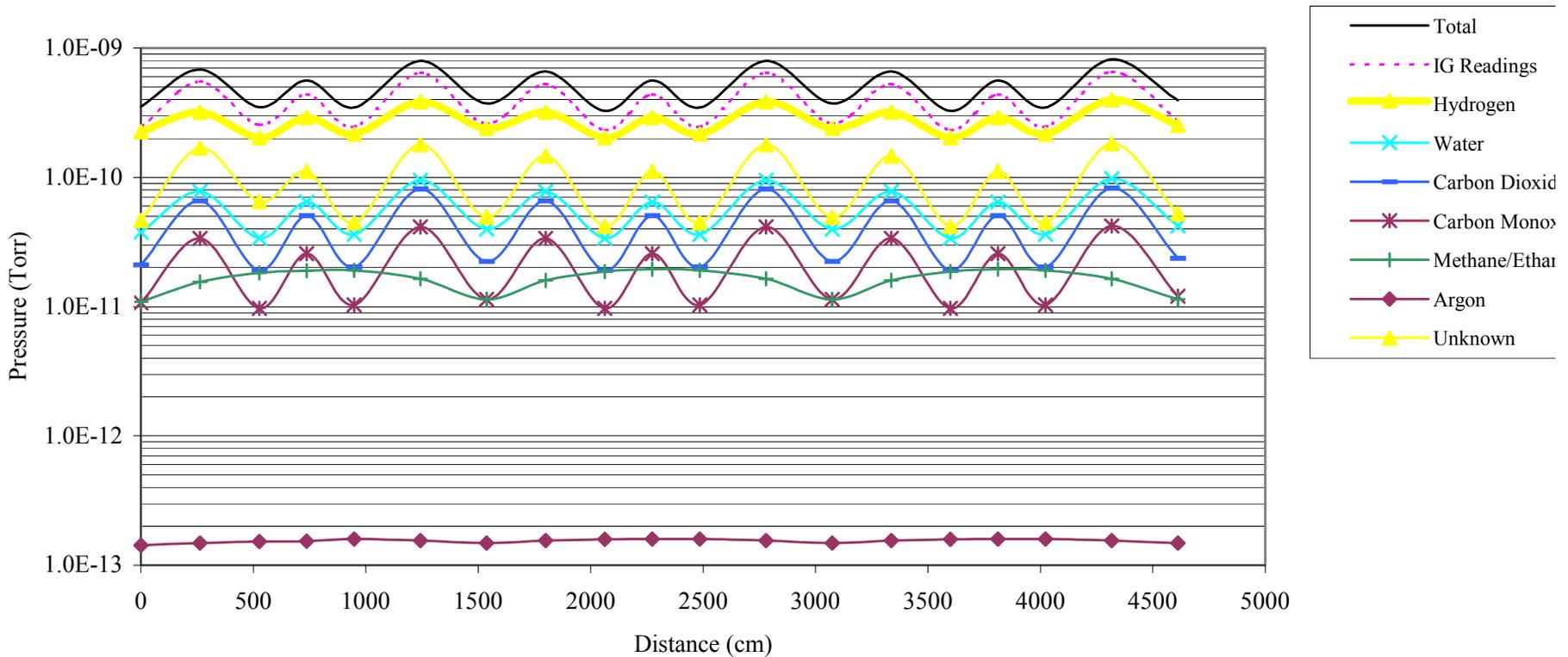
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- Work done during Jan 2003 shutdown:
- Installed new ion pumps, capable of pumping Ar at a higher rate. Installed some diagnostics (RGAs, ion gauges).
- Out of 27 vacuum sectors, 20 were vented with "dry" nitrogen and then only 5 sectors baked to 120C. Of these five, three have been vented since then without a bake.
- Many new ion pumps were not baked in situ.
- Unrelated to the Jan 2003 shutdown:
  - BPMs and bellows (total equiv. length of about 500m) were never baked at all.

# So, what's the problem with this model??

- There are two problems with my pressure model.
  - Terry's vacuum model predicts an order of magnitude low pressures.

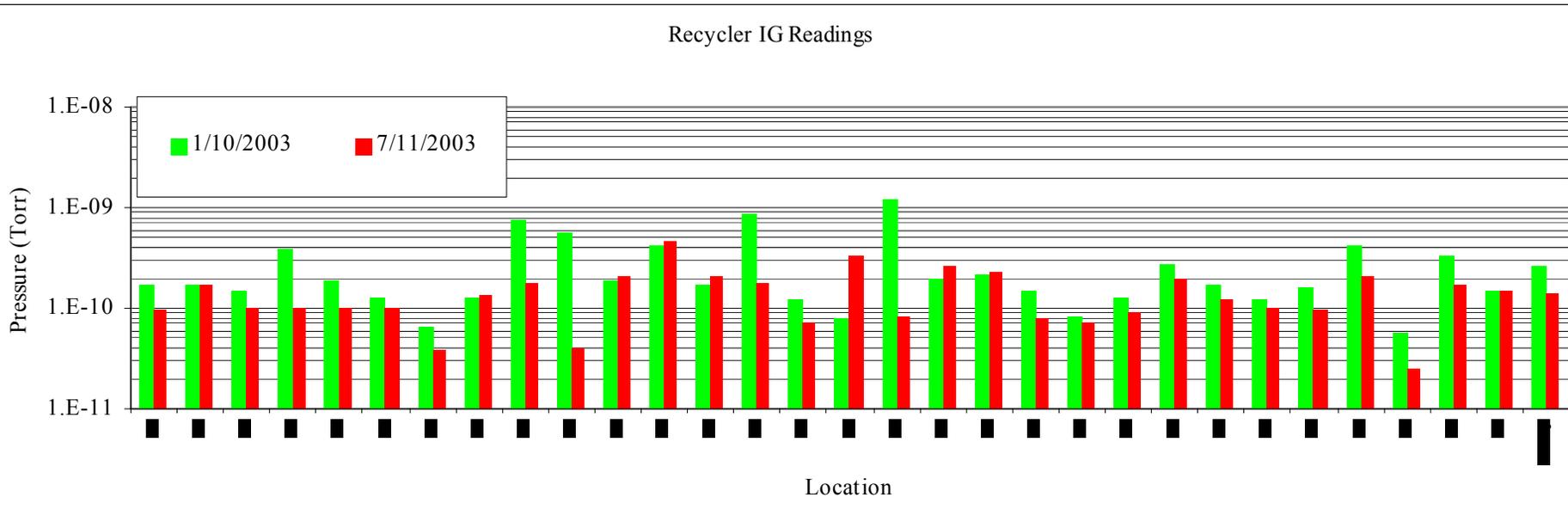
Recycler Pressure Profile Using Average RGA Data from Pump Locations



# So, what's the problem with this model??

1. Terry's vacuum model predicts an order of magnitude low pressures.

None of the ion gauges show pressures above  $5 \times 10^{-10}$  Torr





## So, what's the problem with this model??

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2. We know that the total gas capacity of our TSPs is 0.2-0.4 Torr-L. Assuming we understand the TSP's pumping speed at the beam pipe, pressures of  $3 \times 10^{-9}$  Torr would saturate the TSPs in 10-20 days, yet the TSPs last on the average 100 days.

## Conclusions

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- The evidence for the residual gas scattering from beam-based measurements is overwhelming.
  - I can not reconcile the beam-based measurements with the instrument measurements.
  - All beam-based measurements point to the fact that amount of heavy molecules (most likely **water**) in the system has doubled after the Jan 2003 shutdown.
  - The model can not answer how much  $\text{CH}_4$ ,  $\text{CO}$  or  $\text{CO}_2$  is in the system. If I assume that all heavy molecules are water, eliminating them completely reduces the emittance growth rate to  $2 \mu\text{m/hr}$ . It is likely that we will never reach this value with a present system. I estimate that reaching a  $4\text{-}\mu\text{m/hr}$  rate is possible with a successful bakeout.
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